Latent heat quantities:

Requires transition of a certain quantity of matter starting from phase i towards phase k with heat quantity Q_{ik}

reverse from phase k into phase i a heat quantity Q_{ki} ,

to obtain
$$Q_{ki} = -Q_{ki}$$

At $k \rightarrow i$ gets (latent) heat free again!



V(r) break up of bonds

Vapor pressures (saturated vapor): p_s water $(0 \ ^0)$: 610Pa,

P_s water(20⁰) : 2337*Pa*

heat of evaporation comes out of surroundings

Exp.: Äthyläther (5.87 • $10^4 Pa, T = 20^0$)

Example: Water: $\lambda_{solid,liquid} = 3.3 \cdot 10^5, \lambda_{liquid,steam} = 2.3 \cdot 10^6$

Equilibrium of phases at interfaces e.g: liquid - steam , all the same molecules come in and out.

Boil/Condensation

given $p_s \succ$

outer pressure → steambubbles inside

if vapor pressure of liquid =outer pressure \rightarrow boil!

e.g: Geyser (changing pressure on piston)



changes of phases need seeds of condensation / cristallisations

Therefore, one observes by missing of those:

delay of condensation and boil

If $p_s \prec$ Outer vapor pressure : Condensation e.g.: Air humidity

$$\varphi_{rel} = \frac{\varphi_a}{\varphi_S} = \frac{P_W}{P_S}$$
 with φ_a absolute humidity(g/m³)

 φ_S = Saturated humidity(g/m³)

One has an air humidity of 40%, if the partial pressure reaches D = 0.4 D (U = 0)

$$P_W = 0.4 \cdot P_S(H_2O)$$

$$p_{rel} = 1$$
 : Dew point !



Guttlebl

 $P_1 \ge P_2$

Joule-Thomson-Effect and liquifaction of gases Considered are adiabatic, throttelt decompression of gases:



Drop in pressure via e.g. cotton wool



Changes with real gas?

1.Internal pressure

$$\frac{a}{V^2}$$
:

After throttling work against van der Waals - forces

$$\Rightarrow U_1 \succ U_2 \Rightarrow T_2 \prec T_1$$

2.Covolume b:

$$P = \frac{V \cdot R \cdot T}{V - b}$$
 larger compared to ideal gas:

Equal number of particles N pressure of real gases

 $\Rightarrow P_1 \bullet V_1 \succ P_2 \bullet V_2 \Rightarrow U_1 \prec U_2$ or $T_2 \succ T_1$

Calculation : Van der Waals-equation

$$P = \frac{RT}{V-b} - \frac{a}{V^{2}}; \quad \text{U can be written as}$$

$$U = E_{kin} + E_{pot} = \frac{f(\text{ degrees of freedom})}{2}RT + \int_{\infty}^{V_{1}} \frac{a}{V^{2}} \, dV = -a/V_{1}$$

$$\Rightarrow H = U + P \cdot V = \frac{fRT}{2} - \frac{a}{V} + \left(\frac{RT}{V-b} - \frac{a}{V^{2}}\right) \cdot V$$

$$= RT\left(\frac{f}{2} + \frac{V}{V-b}\right) - \frac{2a}{V} \quad dH = \frac{\partial H}{\partial V} \cdot dV + \frac{\partial H}{\partial T} \cdot dT = 0$$

$$\Rightarrow dT = -\frac{\frac{\partial H}{\partial V} \cdot dV}{\frac{\partial H}{\partial T}} = \frac{\frac{bT}{(V-b)^{2}} - \frac{2a}{R \cdot V^{2}}}{\frac{f}{2} + \frac{V}{V-b}} \, dV$$
with approx. $V \approx V - b \quad \Rightarrow dT \approx \frac{b \cdot R \cdot T - 2a}{(\frac{f}{2} + 1)R \cdot V^{2}} \, dV \Rightarrow$
Inversion temperature:
$$T_{I} = \frac{2a}{bR} \quad \text{e.g. for} \qquad T \prec T_{I}: \text{ cooling}$$

| CO ₂ | N ₂ | O ₂ | He | H ₂ |
|-----------------|----------------|----------------|-----|----------------|
| 2050K | 850K | 1040K | 35K | 35K |

Observations: air out of a tire with quick release > Valve cools, would the tire be filled with helium, the valve would grow warm !